

# The Influence of Realism on Congestion in Network Simulations\*

K. Mills

(joint work with C. Dabrowski)

NIST

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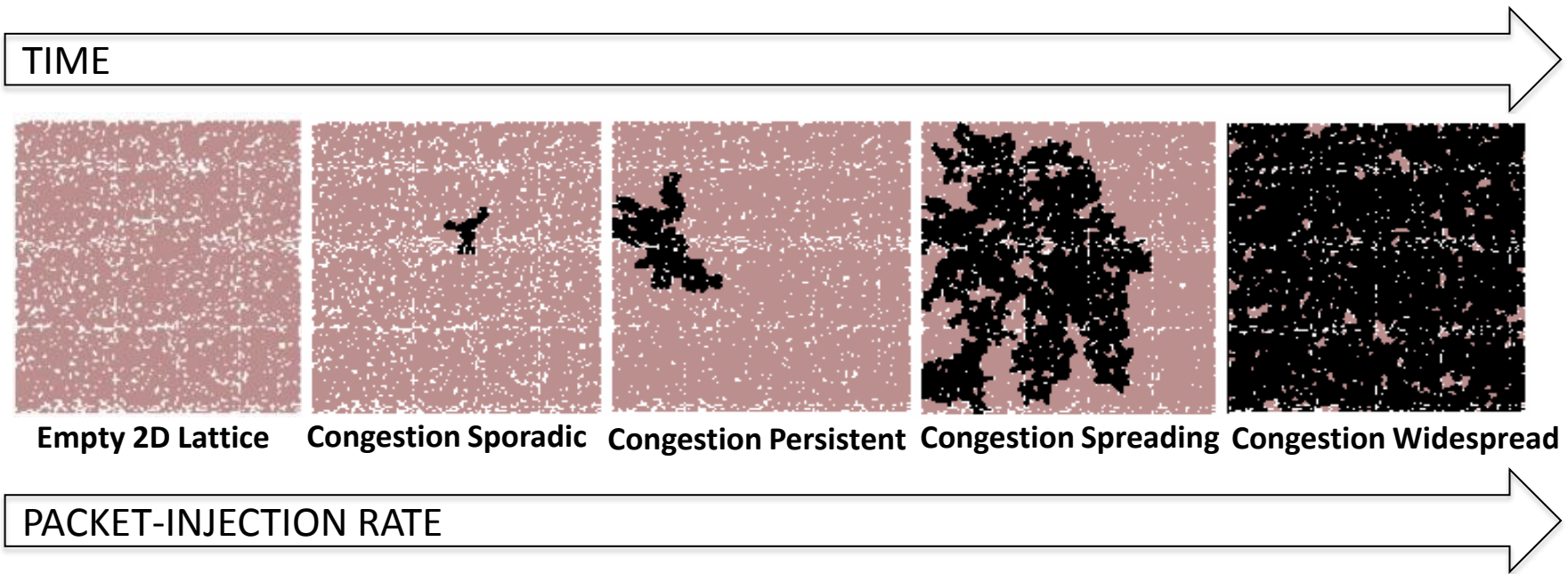
\*For more details see: NIST Technical Note 1901

<http://www.nist.gov/itl/anttd/upload/TechNote1901-draft1.pdf>

# Total talk is 20 slides

- Motivation – 6 slides
- Research Questions and Approach – 2 slides
- Models – 5 slides
- Experiment Design – 1 slide
- Results – 5 slides
- Findings – 1 slide

# Congestion Spreads across Networks in Space and Time



**IMPLICATION:** SHOULD BE POSSIBLE TO DETECT THE SPREADING PROCESS AND PROVIDE EARLY WARNING OF INCIPIENT CONGESTION COLLAPSE

2D lattice animation taken from "Percolation Theory Lecture Notes", Dr. Kim Christensen, Imperial College London, October 9, 2002

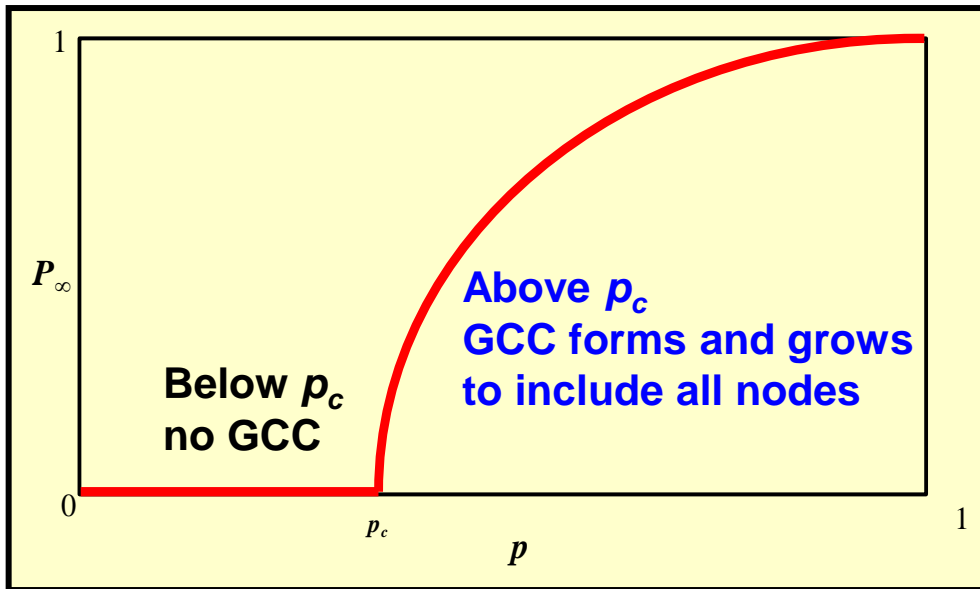
December 1, 2015

NIST TN 1901

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# Spreading Processes often Modeled as Percolation

**Percolation** → spread of some property in a lattice (or graph) leading to the formation of a *giant connected component* (GCC), as measured by  $P_\infty$ , the proportion of nodes encompassed by the GCC



$p$  is probability a node has property

$p_c$  is known as the critical point

$p < p_c \rightarrow$  no spread

$p = p_c \rightarrow$  percolation phase transition

$p > p_c \rightarrow$  spread occurs, and expands with increasing  $p$

Near a **critical point**, the process exhibits **signals**, typically attributable to increasing, systemic correlation

# Academics Model Spreading Network Congestion as a Percolation Process

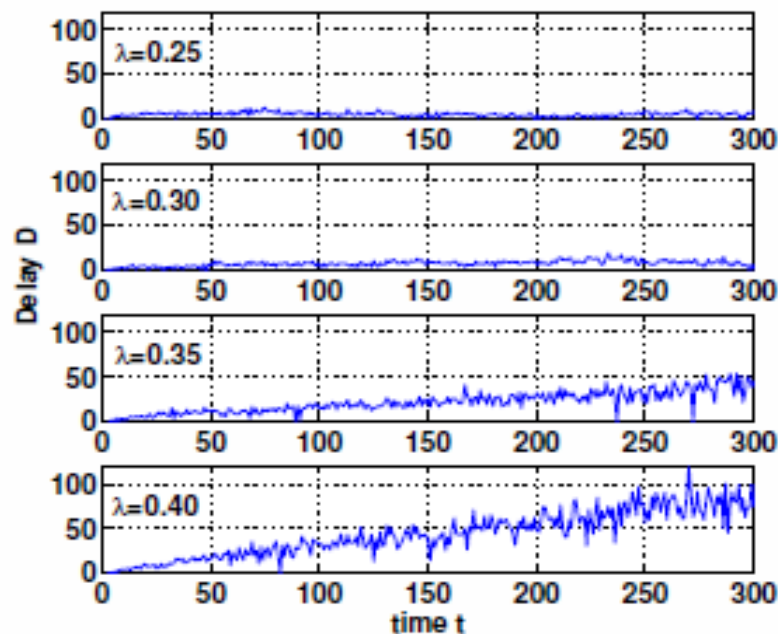
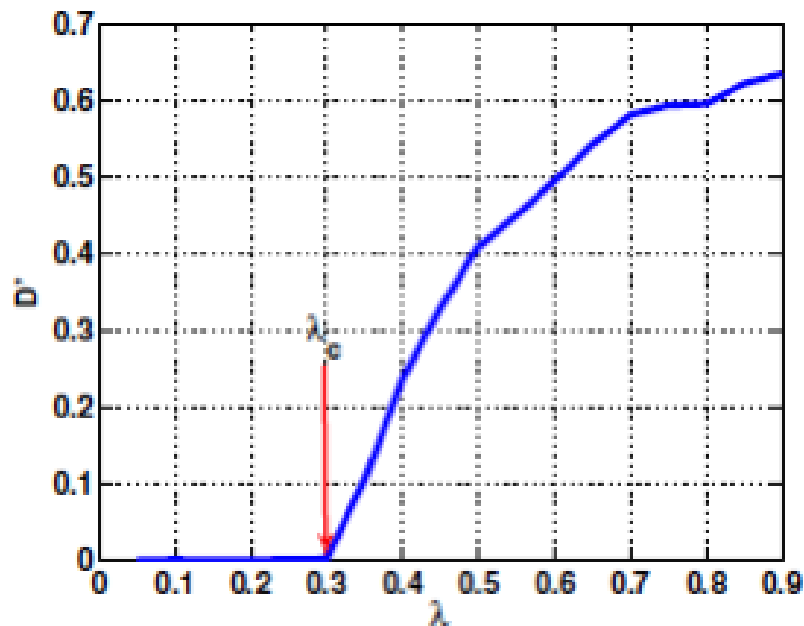
| Year | Researchers       | Location              | Topology                       | Metrics                                   | Precursor Signal  |
|------|-------------------|-----------------------|--------------------------------|---|---|
| 2001 | Sole & Valverde   | Spain & USA (SFI)     | 2D Lattice                     | Packet Delay, Queue Length, Throughput    | Self-similarity in log-log plot of power vs. freq.                                      |
| 2002 | Woolf et al.      | UK                    | 2D Lattice                     | Packet Delay, Queue Length, Throughput    | Long-Range Dependence (LRD) in time-series autocorrelation                              |
| 2004 | Arrowsmith et al. | UK                    | Triangular & Hexagonal Lattice | Packet Delay, Queue Length, Throughput    | LRD shown with Hurst parameter increases from rescaled range statistical (R-S) analysis |
| 2005 | Mukherjee & Manna | India                 | 2D Lattice                     | Packet Delay, Queue Length, Load per Node | Self-similarity in log-log plot of power vs. freq.                                      |
| 2007 | Lawniczak et al.  | Canada                | 2D Lattice                     | Packets in Flight                         | LRD shown with Hurst parameter increases from R-S analysis                              |
| 2007 | Tadic et al.      | Slovenia, Austria, UK | Generated SF & UH              | Packet Delay, Queue Length, Network Load  | Systemic changes in network-load time series  |
| 2009 | Sarkar et al.     | USA                   | 2D Lattice                     | Packet Delay, Queue Length                | Order parameter becomes positive  |
| 2009 | Wang et al.       | China                 | Generated ER, WS, HK           | Packets in Flight/Injected                | Order parameter becomes positive  |
| 2010 | Rykalova et al.   | USA                   | 1D Ring & 2D Lattice           | Packet Delay, Queue Length, Network Load  | Increasing amplitude fluctuation in metrics   |

Finding that  
Signals Appear  
Near a  
Critical Point  
in Abstract  
Network Models

Topology Key: SF = Scale-Free UH = Uncorrelated Homogeneous ER = Erdos-Reyni Random  
WS = Watts-Strogatz Small World HK = Holme-Kim variant of Preferential Attachment

# Penn State Researchers (Sarkar, Mukherjee, Srivastav, and Ray 2009)

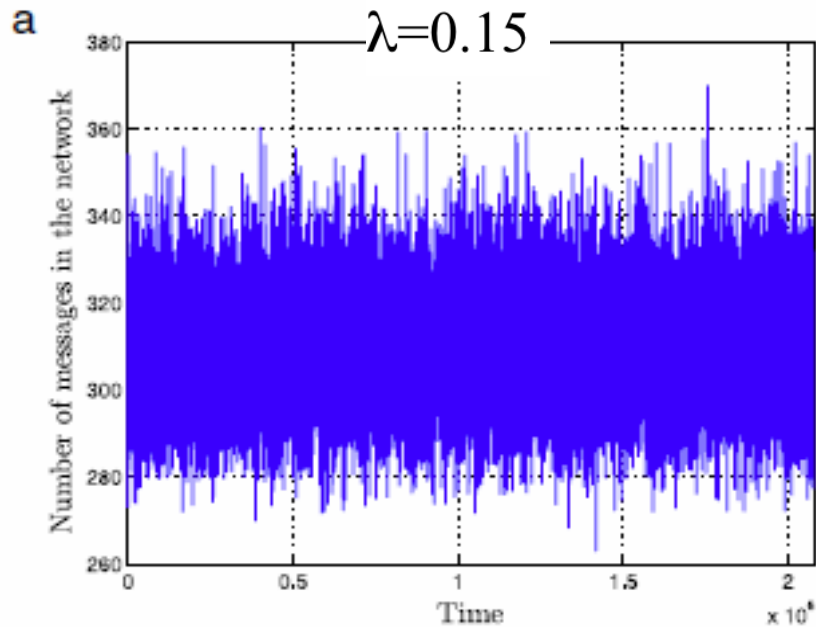
find increasing transit delay as  $p > p_c = 0.3$



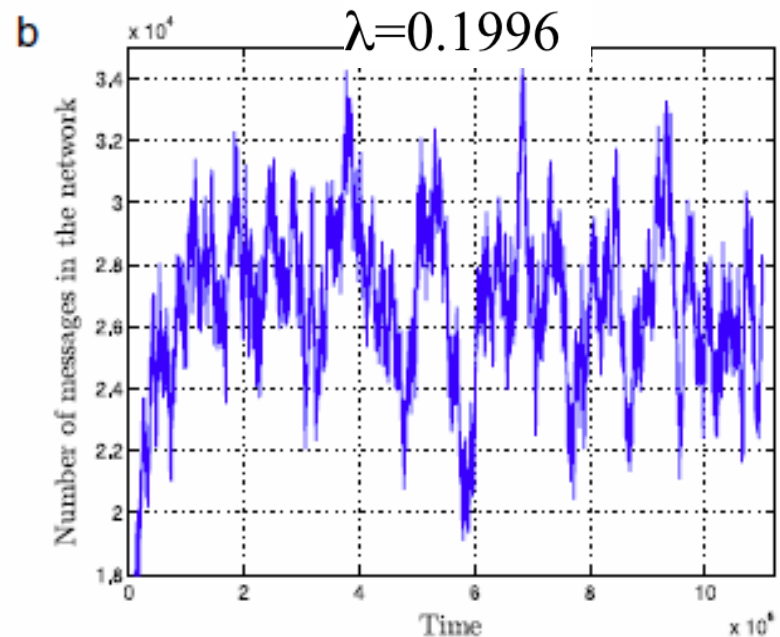
Aggregate Avg. Transit Delay ( $D^*$ ) vs. Network Load ( $\lambda$ )      Sampled Avg. Transit Delays ( $D$ ) for Four Network Loads ( $\lambda$ )

Increasing slope in time series of selected measured variables could signal crossing a critical point, allowing network managers to be alerted prior to network collapse

find increased correlation in time series of packets in transit as  $p$  nears  $p_c = 0.2$



# Packets fluctuate between 260 and 380



# Packets fluctuate between 18,000 and 34,000

Increasing autocorrelation in time series could signal an approaching critical point, allowing network managers to be warned prior to network collapse

# Abstract Models Lack Key Traits of Real Networks

## Routers & Links

1. Human-engineered, **tiered topologies**, with propagation
2. Router **buffer sizes finite**
3. Router **speeds varied** to meet demands, limit losses

## Computers

4. Injection from **sources** and **receivers** only at **lowest tier**
5. Distribution of **sources** and **receivers** non-uniform
6. Connection of **sources/receivers** with **few varied speeds**

## Users

7. Duty cycle of **sources** exhibits **cyclic behavior**
8. Human **sources** exhibit **limited patience**
9. Sources transfer **flows** of **various sizes**

## Protocols

10. Flows use the Transmission Control Protocol (**TCP**) to **modulate injection rate** based on measured congestion

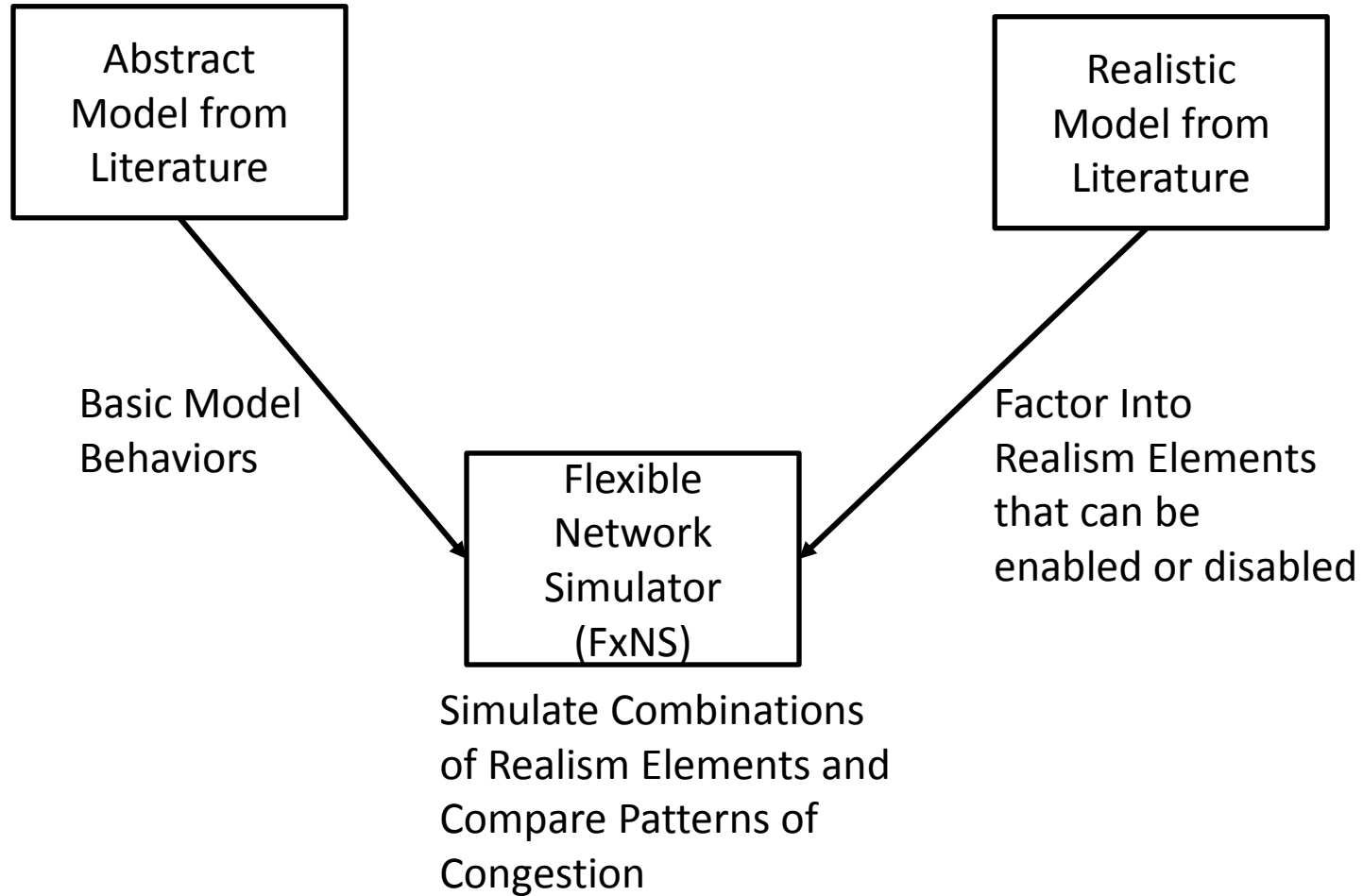
DOES LACK OF REALISM MATTER WHEN SIMULATING NETWORK CONGESTION?



# Specific Research Questions

- Does congestion spread in abstract models mirror spread in realistic models?
- Are some elements of realism essential to capture when modeling network congestion?
- Are some elements unnecessary?
- What measures of congestion can be compared, and how, across diverse network models?

# Research Approach

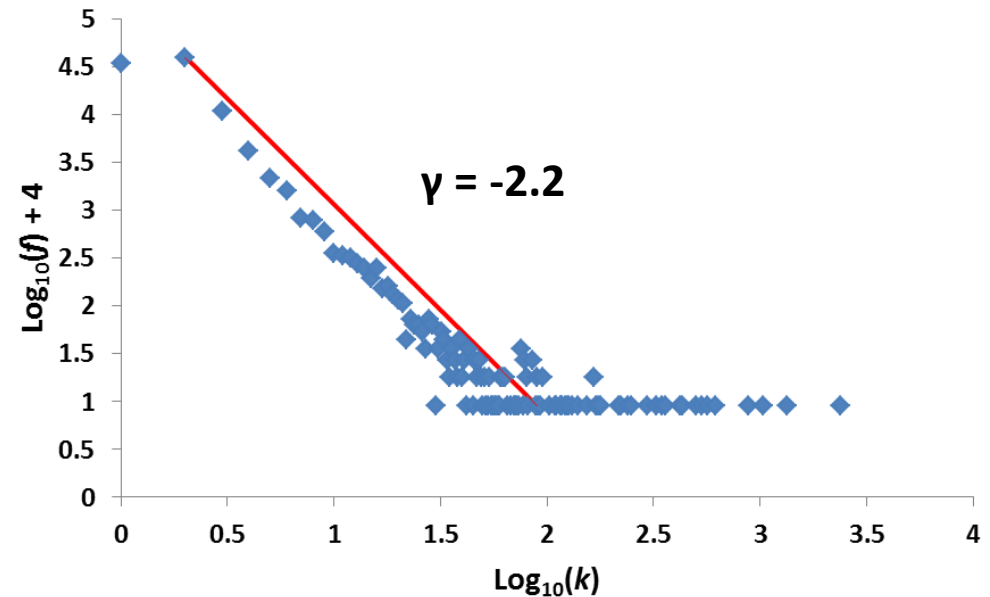
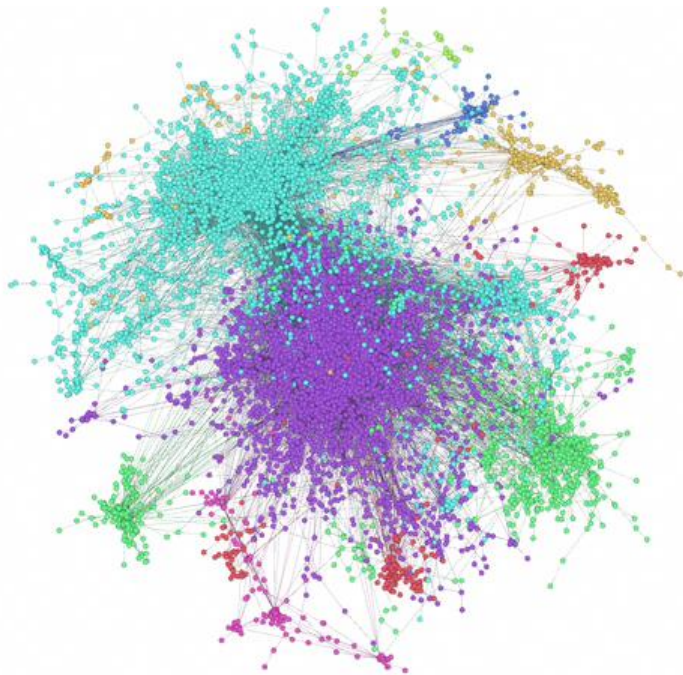


# Models

- Abstract EGM Model → high abstraction
- Realistic MesoNet Model → high realism
- Flexible FxNS Model → combinations of realism  
from low to high

# The Abstract (EGM) Model

P. Echenique, J. Gomez-Gardenes, and Y. Moreno, “Dynamics of Jamming Transitions in Complex Networks”, *Europhysics Letters*, 71, 325 (2005)



Simulations based on 11,174-node scale-free graph,  $P_k \sim k^{-\gamma}$  &  $\gamma=2.2$ , taken from a 2001 snapshot of the Internet Autonomous System (AS) topology collected by the Oregon Router Server (image courtesy Sandy Ressler)

# Details of the EGM Model

**Node Buffer Size:**  $\infty$  for EGM, all packets buffered, no packets dropped

**Injection Rate:**  $p$  packets injected at random nodes (uniform) at each time step

**Destination Node:** chose randomly (uniform) for each packet

**Forwarding Rate:** 1 packet per node at each time step

**Routing Algorithm:** If node is destination, remove packet; Otherwise select next-hop as neighboring node  $i$  with minimum  $\delta_i$

**System Response:** proportion  $\rho$  of injected packets queued in the network

## Computing $\delta_i$

$h$  is a *traffic awareness* parameter, whose value 0 ... 1.

$$\delta_i = hd_i + (1 - h)c_i,$$

where  $i$  is the index of a node's neighbor,  $d_i$  is minimum #hops to destination via neighbor  $i$ , and  $c_i$  is the queue length of  $i$ .

**$h = 1$  is shortest path (in hops)**

## Measuring $\rho$

$$\rho = \lim_{t \rightarrow \infty} \frac{A(t + \tau) - A(t)}{\tau p}$$

$A$  = aggregate number of packets

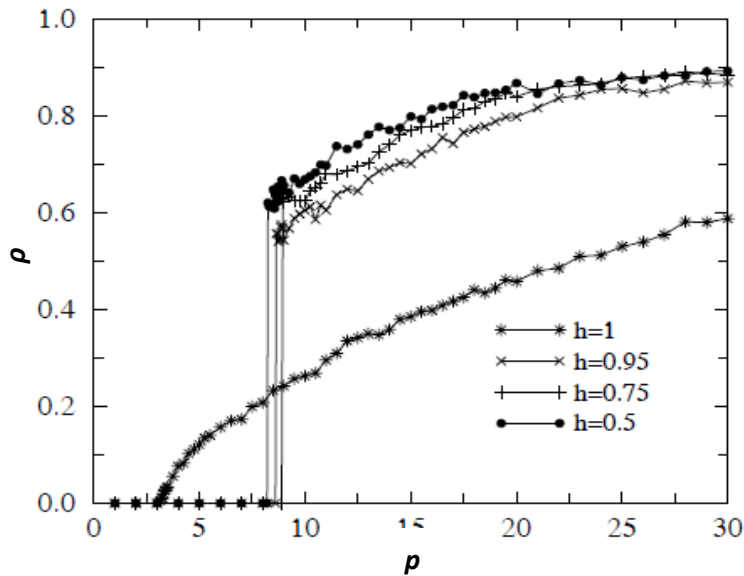
$t$  = time

$\tau$  = measurement interval size

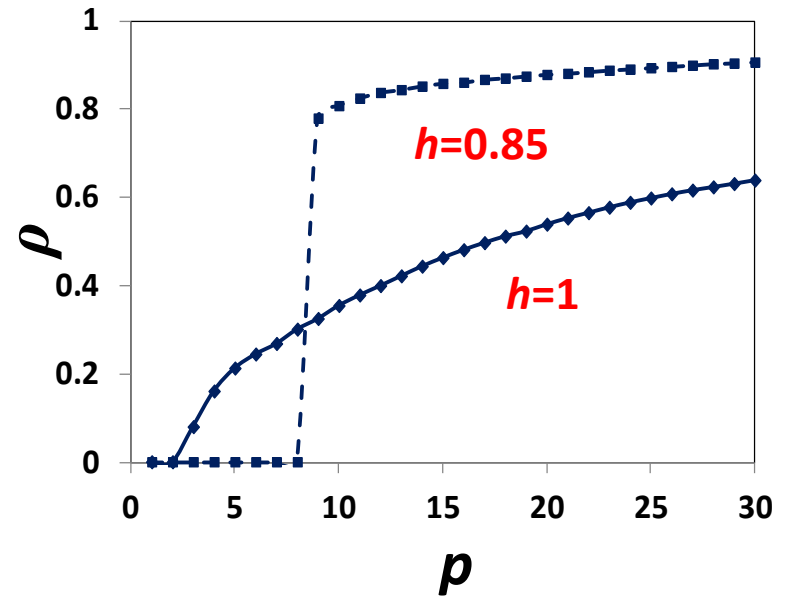
$p$  = packet inject rate

# Comparative Simulation Results

EGM Simulations



FxNS Simulations with All Realism Elements Disabled



# The Realistic (MesoNet) Model

K. Mills, E. Schwartz, and J. Yuan, "How to Model a TCP/IP Network using only 20 Parameters", WSC 2010, Dec. 5-8, Baltimore, MD.

| Category           | ID  | Name                  | FxNS  |
|--------------------|-----|-----------------------|-------|
| Network            | x1  | topology              | NC    |
|                    | x2  | propagation delay     | DE    |
|                    | x3  | network speed         | VS    |
|                    | x4  | buffer provisioning   | PD    |
| Sources & Sinks    | x5  | number sources/sinks  | SR    |
|                    | x6  | source distribution   |       |
|                    | x7  | sink distribution     |       |
|                    | x8  | source/sink speed     | VS    |
| Users              | x9  | think time            | $p$   |
|                    | x10 | patience              | n/a   |
|                    | x11 | web object file sizes | FL    |
|                    | x12 | larger file sizes     | n/a   |
|                    | x13 | localized congestion  |       |
| Congestion Control | x15 | control algorithm     | TCP   |
|                    | x16 | initial <i>cwnd</i>   |       |
|                    | x17 | Initial <i>sst</i>    |       |
| Simulation Control | x18 | measurement interval  | fixed |
|                    | x19 | simulation duration   | fixed |
|                    | x20 | startup pattern       | $p$   |

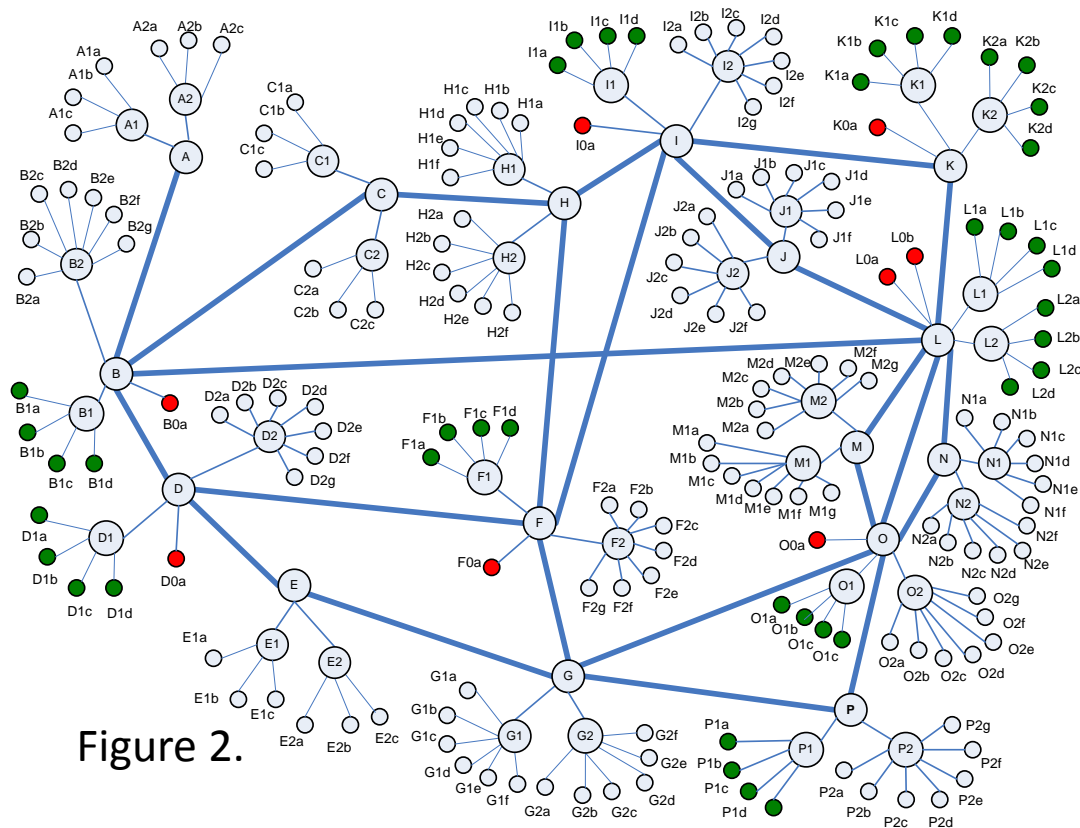


Figure 2.

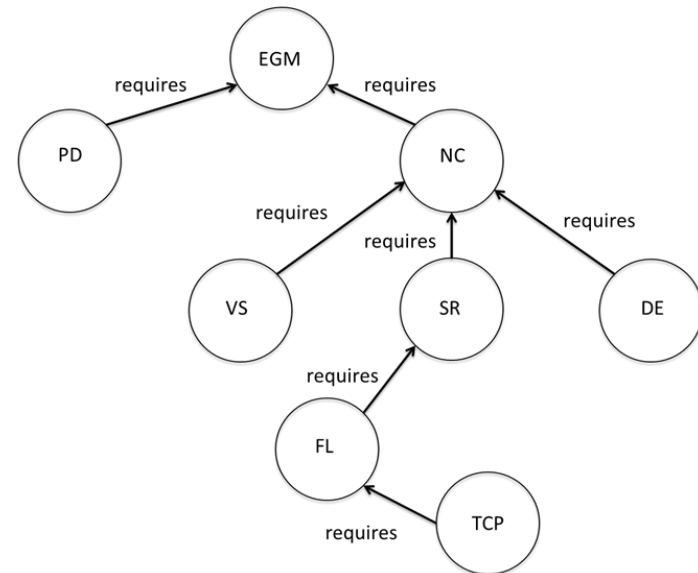
Comparisons of MesoNet Simulations vs. FxNS Simulations (all realism elements enabled) for eight MesoNet responses are available in **NIST TN 1901 – Appendix A**

# FxNS Combinations

## 34 Valid FxNS Combinations

| Seq | Cmb  | TCP | FL | SR | DE | VS | NC | PD |
|-----|------|-----|----|----|----|----|----|----|
| 1   | c0   | 0   | 0  | 0  | 0  | 0  | 0  | 0  |
| 2   | c1   | 0   | 0  | 0  | 0  | 0  | 0  | 1  |
| 3   | c2   | 0   | 0  | 0  | 0  | 0  | 1  | 0  |
| ... |      |     |    |    |    |    |    |    |
| 32  | c123 | 1   | 1  | 1  | 1  | 0  | 1  | 1  |
| 33  | c126 | 1   | 1  | 1  | 1  | 1  | 1  | 0  |
| 34  | c127 | 1   | 1  | 1  | 1  | 1  | 1  | 1  |

## Dependencies among Realism Elements





# Experiment Design

|     | Enabled   | Disabled   |
|-----|---|--|
| PD  | buffers = 250×router speed  | buffers = ∞  |
| NC  | 3-tier 218-node topology as in Fig. 2 with routers labeled as core, PoP, D-class, F-class or N-class  | flat 218-node topology as in Fig. 2 but with routers unlabeled |
| VS  | core 80 p/ts; PoP 10 p/ts; D-class 10 p/ts; F-class 2 p/ts; N-class 1 p/ts; fast source/sink 2 p/ts; normal source/sink 0.2 p/ts            | all routers and sources/sinks 9 p/ts                           |
| DE  | core links have propagation delays  | no propagation delays  |
| SR  | 51,588 sources & 206,352 sinks deployed uniformly below access routers  | no sources or sinks deployed                                   |
| FL  | transfers are packet streams: sized randomly from Pareto distribution (mean 350, shape 1.5) - streams set up with TCP connection procedures | transfers are individual packets                               |
| TCP | packet transmission regulated by TCP congestion-control including slow-start (initial $cwnd = 2 sst = 2^{30}/2$ ) and congestion avoidance  | packet transmissions not regulated by congestion-control       |

## FIXED PARAMETERS

- 218-Router Topology (Fig. 2)
- Routing (SPF propagation delay)
- Duration (200,000 ts per  $p$ )

## VARIABLE PARAMETERS

- Packet-Injection Rate  $p$  (up to 2500)
- FxNS Combination

## RESPONSES

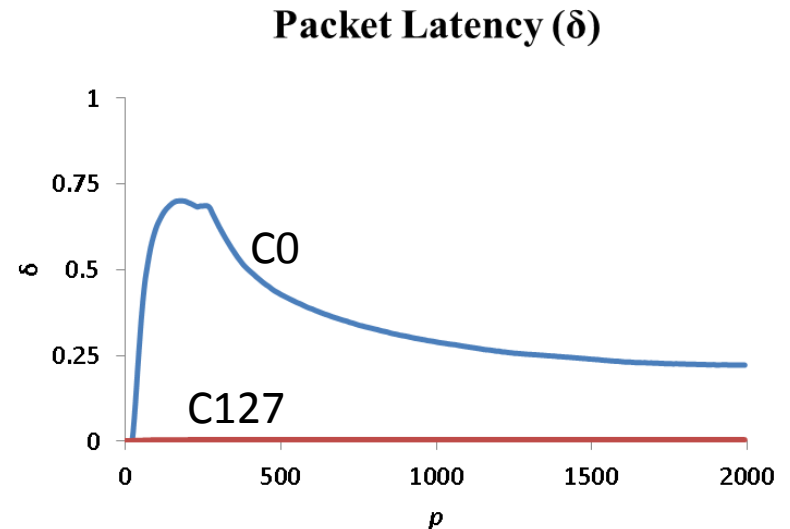
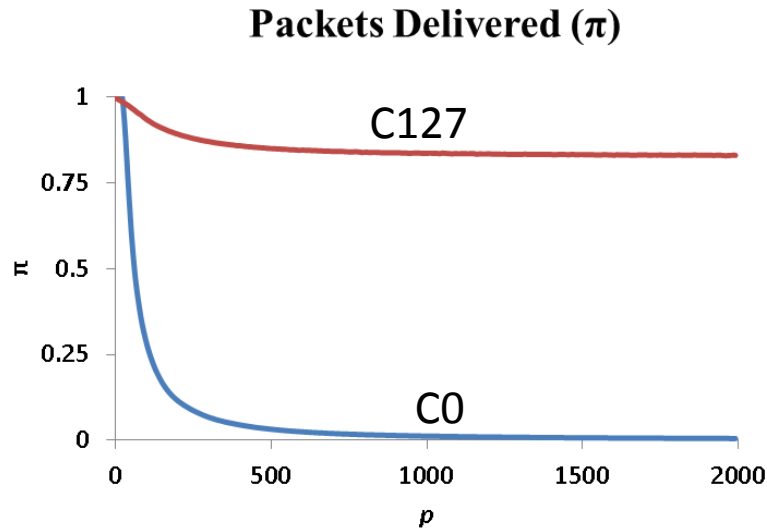
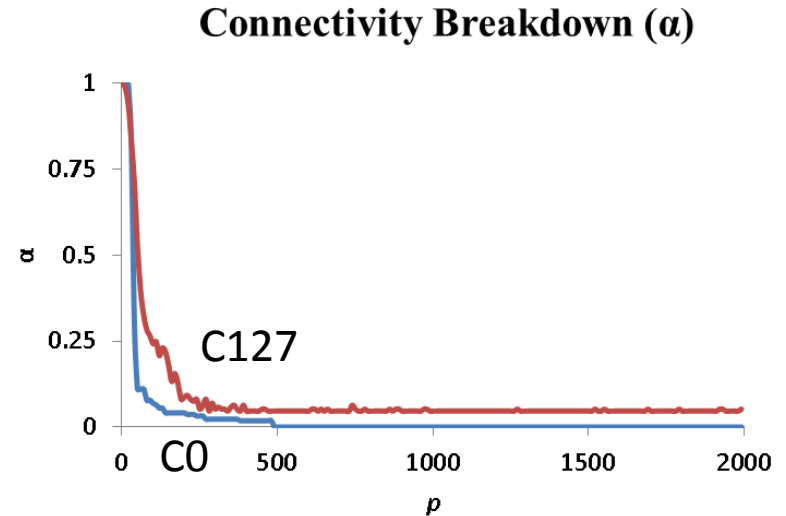
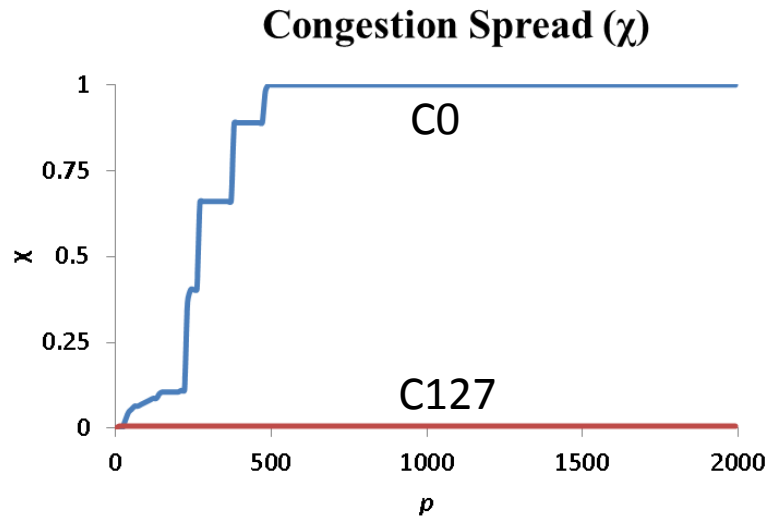
- Congestion Spread  $\chi = |G_\chi| / |G_N|$
- Connectivity Breakdown  $\alpha = |G_\alpha| / |G_N|$
- Proportion of Packets Delivered  $\pi$
- Scaled (0..1) Latency of Delivered Packets  $\delta$

Only concepts in common among all 34 combinations: graph and packet

# Results<sup>1,2</sup>

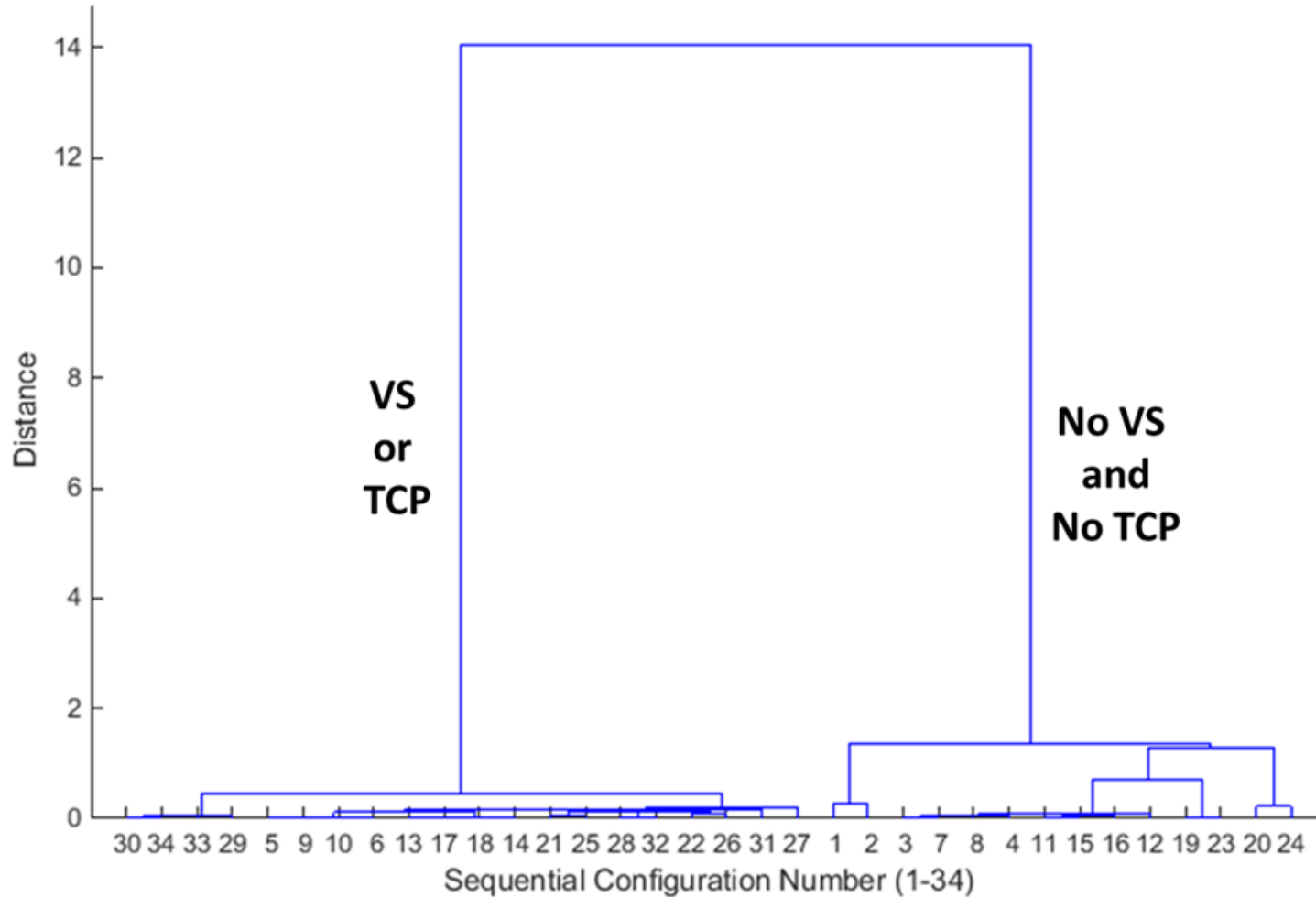
- [1] 136  $xy$ -plots (34 FxNS combinations  $\times$  4 responses) are available at:  
<http://tinyurl.com/poylful>
- [2] Related FxNS simulation data can be explored interactively using a multidimensional visualization created by Phillip Gough of CSIRO:  
<http://tinyurl.com/payglq6>

# Results I – Abstract (C0) vs. Realistic (C127)

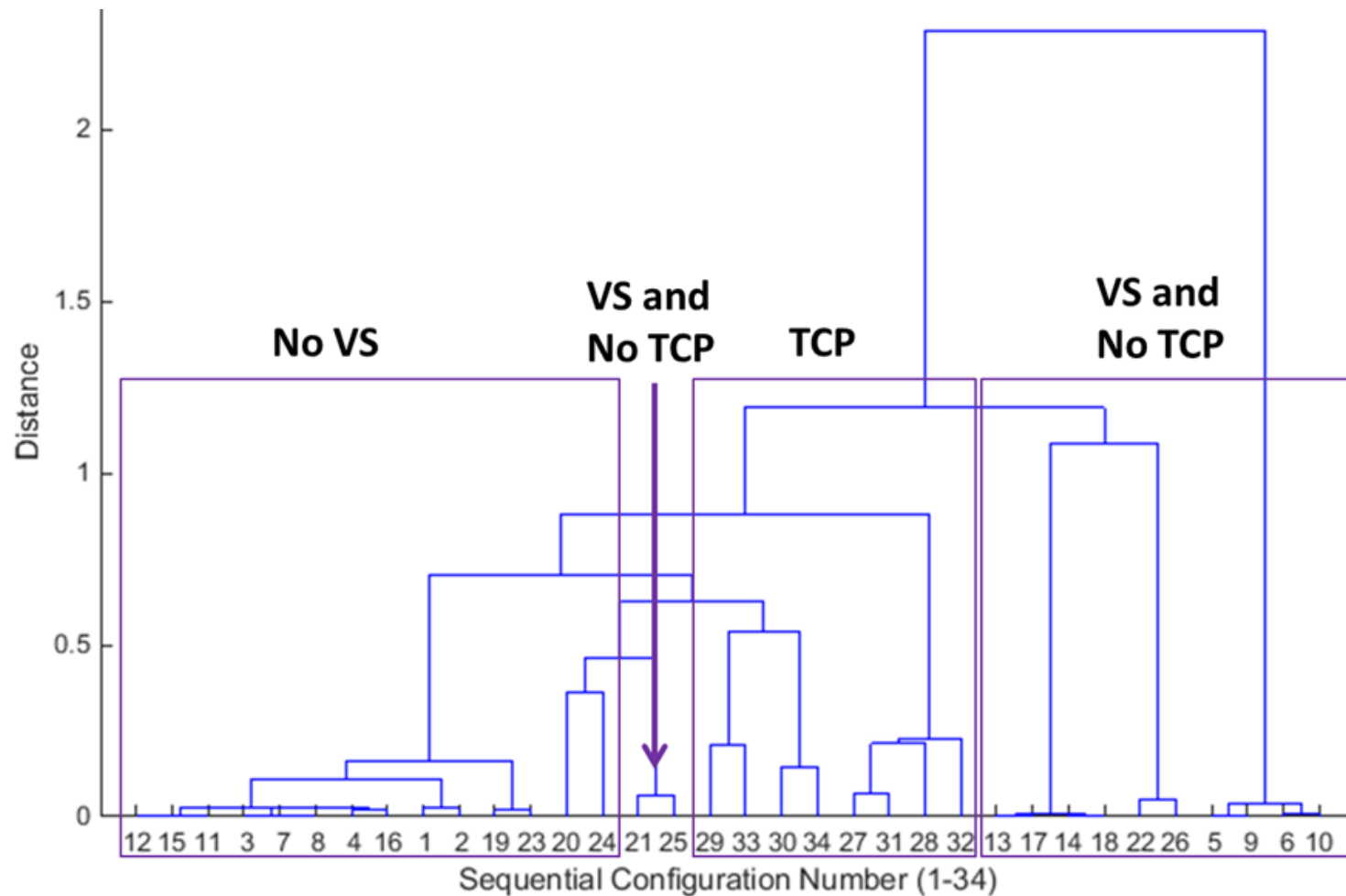


Plots for all responses and all 34 combinations available: <http://tinyurl.com/poylful>

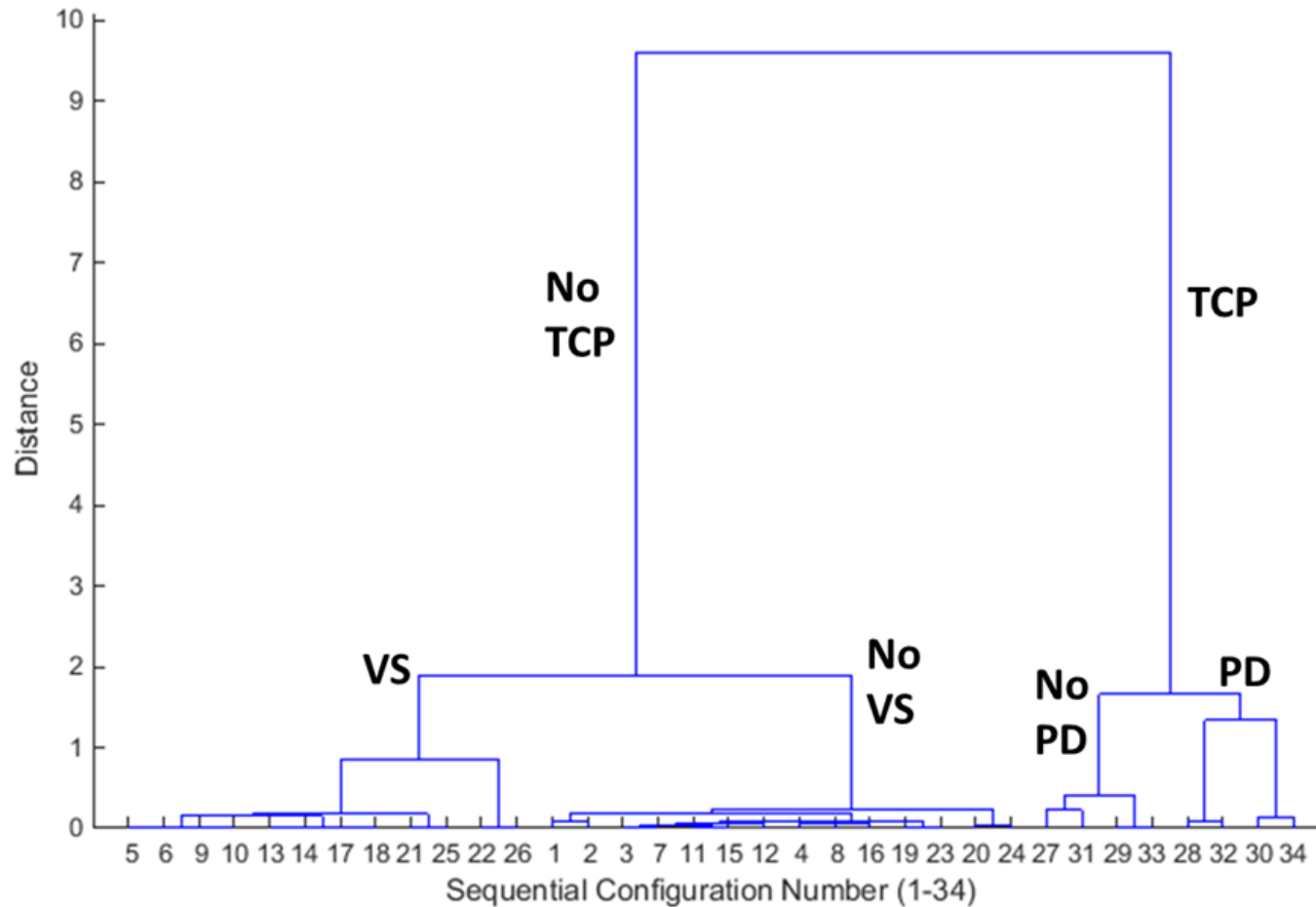
# Results II – Congestion Spread $\chi$ All Combinations



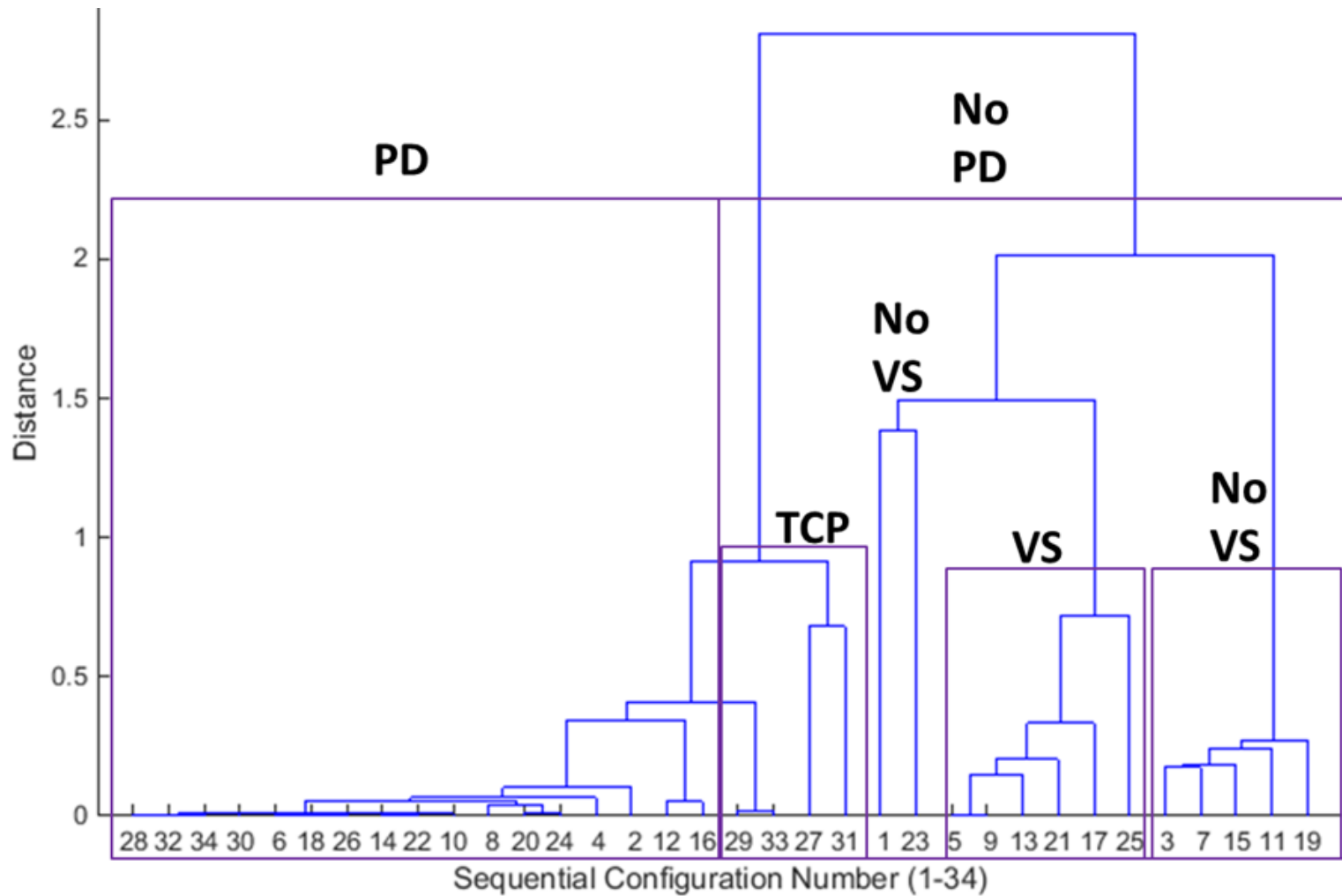
# Results III – Connectivity Breakdown $\alpha$ All Combinations



# Results IV – Packet Delivery $\pi$ All Combinations



# Results V – Scaled Packet Latency $\delta$ All Combinations



# Findings

- Congestion spreads differently in abstract and realistic models
- Hierarchical Router Speeds and TCP very important to model
- Packet dropping important to model for accurate packet latencies
- Propagation delay not important to model in a continental US network, but would be important to model in topologies where propagation delays exceed queuing delays
- Congestion spread, connectivity breakdown and the effectiveness and efficiency of packet delivery can be measured using only two concepts: graphs and packets